

$$5. \quad \begin{aligned} x' + y' - x &= 5 \\ x' + y' + y &= 1 \end{aligned}$$

$$\begin{cases} D[x] + D[y] - [x] = 5 \\ D[x] + D[y] + [y] = 1 \end{cases}$$

$$\begin{cases} (D-1)[x] + D[y] = 5 \\ D[x] + (D+1)[y] = 1 \end{cases}$$

$$L_1 := D-1, L_2 := D, L_3 := D, L_4 := D+1$$

$$f_1 := 5, f_2 := 1$$

$$(L_1 L_4 - L_2 L_3)[x] = L_4[f_1] - L_2[f_2]$$

$$((D-1)(D+1) - D^2)[x] = (D+1)[5] - D[1]$$

~~$$(D^2 + D[1] - D[1] - 1 - D^2)[x] = 5$$~~

$$(D^2 + \underset{0}{D[1]} - \underset{0}{D[1]} - 1 - D^2)[x] = 5$$

$$(D^2 - 1 - D^2)[x] = 5$$

$$-1[x] = 5$$

$$\underline{x \equiv 5}$$

$$(L_1 L_4 - L_2 L_3)[y] = L_1[f_2] - L_3[f_1]$$

$$((D-1)(D+1) - D^2)[y] = \underset{-1}{(D-1)[1]} - \underset{0}{D[5]}$$

$$(D^2 + \underset{0}{D[1]} - \underset{0}{D[1]} - 1 - D^2)[y] = -1$$

$$(D^2 - 1 - D^2)[y] = -1$$

$$-1[y] = -1$$

$$\underline{y \equiv 1}$$